

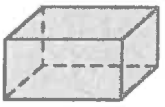

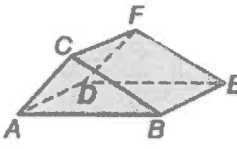

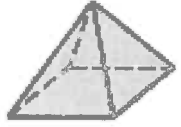
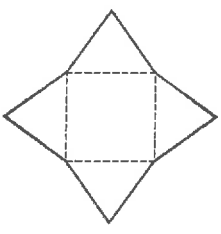

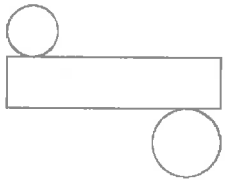

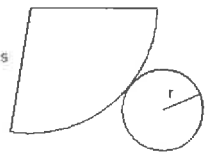
Activity 33 Notes
Overview of 3-D Solids

A solid with all flat surfaces that enclose a single region of space is called a polyhedron. Each flat surface, or face, is a polygon. The line segments where the faces intersect are called edges. The point where three or more edges meet is called a vertex.

Polyhedra can be classified as prisms or pyramids. A prism has two congruent faces called bases connected by parallelogram faces. A pyramid has a polygonal base and three or more triangular faces that meet at a common vertex. Polyhedra are named by their bases.

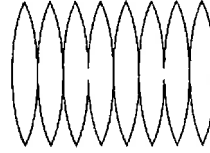
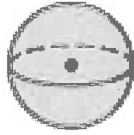
In an oblique prism, the edges of the faces connecting the bases are not perpendicular to the bases. In a right prism, those edges are perpendicular to the bases.

$$(F+V=E+2)$$

Figure	Example	Euler's Theorem ($F + V - E = 2$)	Net	Surface Area and Volume
Rectangular prism		Faces = <u>6</u> Vertices = <u>8</u> Edges = <u>12</u>		SA = $Ph + 2B$ LA = Ph $V = lwh$
Triangular prism		Faces = <u>5</u> Vertices = <u>6</u> Edges = <u>9</u>		SA = $Ph + 2B$ LA = Ph $V = Bh$ ($\frac{1}{2}bh$) $\cdot h$ <small>↑ not the same!!!</small>
Pyramid		Faces = <u>5</u> Vertices = <u>5</u> Edges = <u>8</u>		SA = $\frac{1}{2}Pl + B$ LA = $\frac{1}{2}Pl$ $V = \frac{1}{3}Bh$
Cylinder				$(SA = 2\pi r^2 + 2\pi rh)$ ← SA = $2\pi r(h+r)$ ← LA = $2\pi rh$ $V = \pi r^2 h$
Cone				SA = $\pi r(l+r)$ LA = πrl $V = \frac{1}{3}\pi r^2 h$

Activity 33 Notes
Overview of 3-D Solids

Sphere

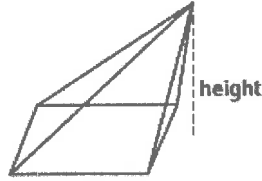


$$SA = 4\pi r^2$$

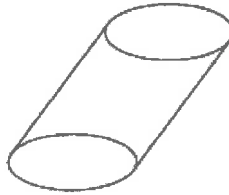
$$V = \frac{4}{3}\pi r^3$$

Other solids are a cylinder, which has parallel circular bases connected by a curved surface, a cone, which has a circular base connected by a curved surface to a single vertex, or a sphere.

Oblique pyramid



Oblique cylinder



Oblique cone

